



## Postface

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Received: 3 August 2018 / Accepted: 3 August 2018 / Published online: 13 August 2018  
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This issue of Numerical Algorithms was almost completed when we received a submission by Walter Gander and Qiquan Shi titled “Matrix completion with  $\varepsilon$ -algorithm.” Given a matrix  $A$  which is only partially known, one would like to compute the missing entries such that the completed  $A$  has a given rank  $r$ . This problem can be solved by an iterative algorithm. However, a singular value decomposition (SVD) has to be done at each iteration to find an approximation of rank  $r$ . This can be expensive if the iterative method converges slowly. To improve upon that the authors proposed to use  $\varepsilon$ -algorithms. It turns out that the matrix  $\varepsilon$ -algorithm is not well adapted to this problem but by considering only the missing entries the vector  $\varepsilon$ -algorithm works well and gives important savings in the number of SVDs.

Hence, we were thinking that this paper can be a nice complement to those in this issue. The authors also discuss the implementations of the  $\varepsilon$ -algorithms and they provide Matlab functions. Moreover, they apply their algorithm to picture reconstruction. So, this paper is a good illustration of the usefulness of the acceleration algorithms.

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