



Current COVID-19 Epidemic Risks in Brazil

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Abstract

This research uses raw clinical observational data to propose a new spatio-temporal approach for the precise prediction of the likelihood of the COVID-19 epidemic occurring at any moment in any interest Brazil state. This article presents a new bio-system reliability method that is especially appropriate for multi-regional environmental and health systems and that has been watched for a long enough time to produce a reliable long-term forecast of the likelihood of a virus outbreak. All impacted Brazilian states' daily COVID-19 recorded patient counts were taken into consideration. This research sought to benchmark a cutting-edge technique that allows for the analysis of dynamically witnessed patient numbers while accounting for pertinent regional mapping. The suggested strategy might assist in keeping track of and forecasting potential pandemic breakouts in a wide range of multi-regional biological systems.

Keywords: COVID-19; Epidemic Outbreak; Risk Forecast; Public Health; Mathematical Biology

Patient Involvement Statement

By providing an exact risk estimate of the upcoming pandemic breakout at any local state, region, and time, the creation of the study question and outcome measures is linked to patients' goals, experiences, and preferences. Only publicly available patient health records were used in this research [1-4].

Introduction

In the field of contemporary biomedical study, statistics of COVID-19 are getting considerable interest [5-10]. It is challenging to estimate biological system reliability factors and epidemic outbreak probability under realistic epidemic conditions by using classic statistical methods, [11-15]. Multi-degree-of-freedom (MDOF) nature of the governing dynamic biological system, reflects recorded patients' data regional (spatial) spread. By the beginning of 2020, the

only clinical observation data for COVID-19 were no longer accessible. Recent research examined COVID-19 outbreaks in Brazil [16-22], but without concentrating on connections across various national areas or states. Brazil was obviously selected due to the country's COVID-19 origins, significant internet health data, and related study [23-40].

In Thomas M, et al. [12], authors used the extreme value theory (EVT) to forecast and spot flu pandemic abnormalities. The newly suggested innovative technique will be able to provide a better understanding and a sign of the potential spread of diseases because there has not been much statistical research done to forecast the likelihood of an influenza epidemic or contagious disease breakout or its spread.

In this study, an epidemic outbreak is seen as an unforeseen event that could happen in any area of a given nation at any moment, so spatial dispersal is taken into

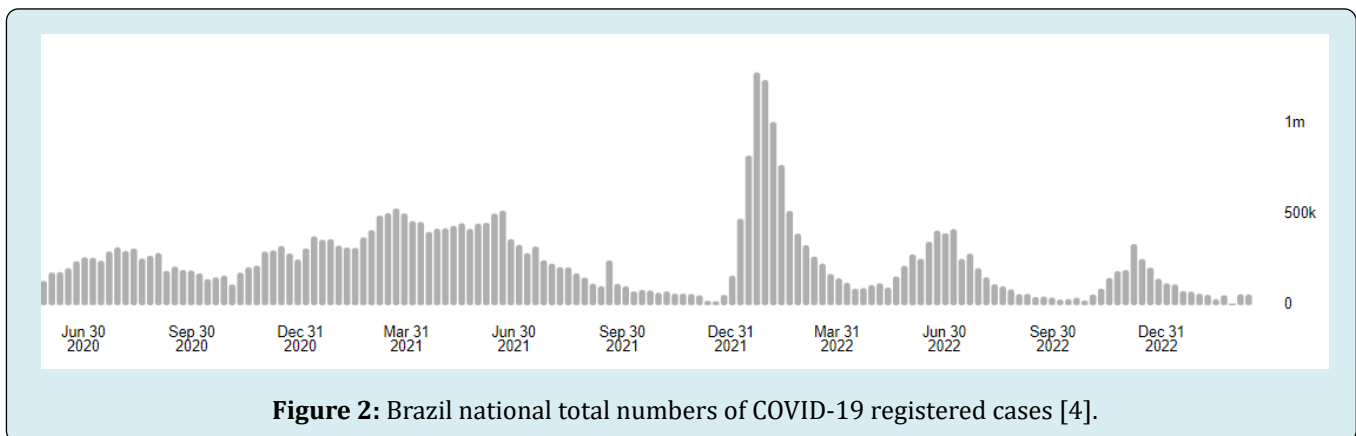
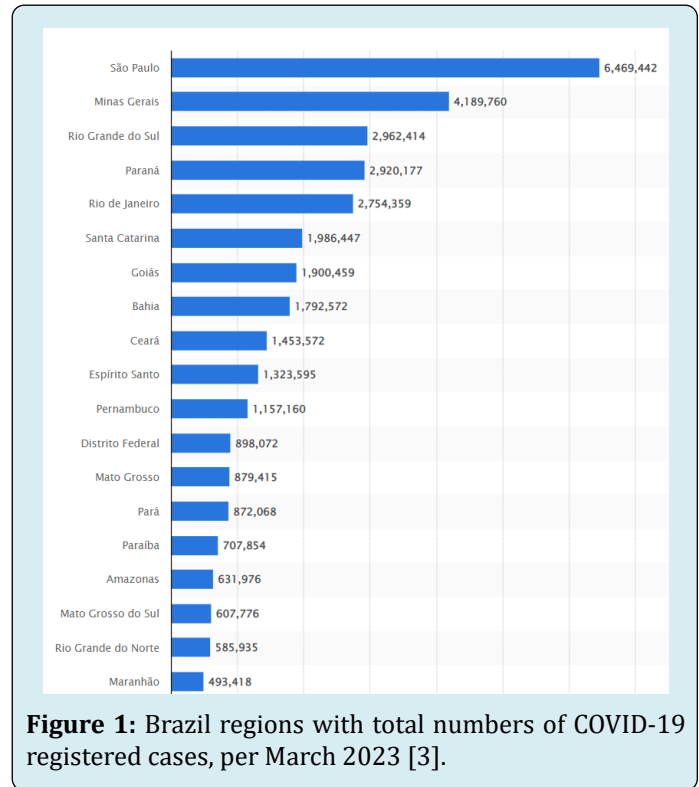
consideration. Additionally, a particular non-dimensional component λ is introduced to forecast the danger of the latter epidemic anywhere and at any moment.

Environmental factors have a cyclical pattern, which affect biological processes. The other option is to think of the process as being reliant on particular environmental factors, whose change over time can be modelled as an independent ergodic process.

The public websites were used to obtain COVID-19 incidence statistics for twelve Brazilian states from February 2020 to the present [1-4]. The biological system under consideration can be thought of as a multi-degree of freedom (MDOF) dynamic system with strongly inter-correlated regional components/dimensions because this priceless data collection is state-specific for Brazil. In some new research, the linear log model has been used to predict COVID-19 development [14].

It should be noted that despite the study's goal of forecasting epidemic outbreaks and lowering their risk, it only considers the number of patients who report each day, not the symptoms themselves. Regarding the so-called "long COVID," which has persistent COVID-19 signs, its risk factors, and whether it is feasible to foresee a protracted course of the illness at an early stage. Figure 1 presents spatial distribution of COVID

cases per Brazil regions, while Figure 2 presents national summed up COVID cases temporal dynamics.



The primary driving force behind this research was the requirement to enhance currently available forecasting methods in order to account for the spatiotemporal character of epidemics. Authors of this research support a new reliability technique that has been thoroughly tested on numerous epidemiologic data sets [23-25].

Method

Let's consider multi degree of freedom (MDOF) biodynamic public health system, consisting of combined

components $X(t), Y(t), Z(t), \dots$ stored up into vector $(X(t), Y(t), Z(t), \dots)$, that has been either measured/observed/simulated over a representative time lapse $(0, T)$. Unidimensional biosystem component global maxima being denoted here as $X_T^{\max} = \max_{0 \leq t \leq T} X(t)$ $Y_T^{\max} = \max_{0 \leq t \leq T} Y(t)$

$Z_T^{\max} = \max_{0 \leq t \leq T} Z(t), \dots$. By representative long time

period T authors mean large enough value of T with respect to the bio-dynamic system auto-correlation, and relaxation

time scales. Let X_1, \dots, X_{N_X} be temporally consequent component process $X=X(t)$ local maxima, recorded at discrete temporally increasing time instants $t_1^X < \dots < t_{N_X}^X$ within

$(0, T)$. Identical definitions follow for other MDOF bio-system components $Y(t), Z(t), \dots$ namely $Y_1, \dots, Y_{N_Y};$

Z_1, \dots, Z_{N_Z} and so on. For simplicity, all system bio-system components, and hence their maxima have been assumed here to be non-negative

$$P = \iiint_{(0, 0, 0, \dots)}^{(\eta_X, \eta_Y, \eta_Z, \dots)} p_{X_T^{\max}, Y_T^{\max}, Z_T^{\max}, \dots} (X_T^{\max}, Y_T^{\max}, Z_T^{\max}, \dots) dX_T^{\max} dY_T^{\max} dZ_T^{\max} \dots \quad (1)$$

being the dynamic bio-system survival probability, with critical/hazard values of bio-system components being denoted as $\eta_X, \eta_Y, \eta_Z, \dots$; \cup being logical unity operator

«or»; $P_{X_T^{\max}, Y_T^{\max}, Z_T^{\max}, \dots}$ being system joint probability density function (PDF) of all individual component/dimensions maxima. If bio-system number of degrees of freedom (NDOF) being large, it is not practically

feasible to assess directly bio-system joint PDF $P_{X_T^{\max}, Y_T^{\max}, Z_T^{\max}, \dots}$ and hence bio-system

survival probability P . The latter bio-system survival probability P however, needs to be assessed, inversely linked to bio-system expected lifetime, according to Eq. (1). Bio-system unidimensional components X, Y, Z, \dots being now re-scaled, and non-dimensionalized as follows

$$X \rightarrow \frac{X}{\eta_X}, Y \rightarrow \frac{Y}{\eta_Y}, Z \rightarrow \frac{Z}{\eta_Z}, \dots \quad (2)$$

Making both of the two answers non-dimensional with a failing limit of 1. The local peaks of the unidimensional system components are then combined into a single artificial time non-decreasing vector $\vec{R} = (R_1, R_2, \dots, R_N)$ in accordance with corresponding bio-system merged time vector $t_1 \leq \dots \leq t_N, N \leq N_X + N_Y + N_Z + \dots$. Each bio-system component local maxima R_j being actual encountered bio-system component local maxima, corresponding some bio-system component, either $X(t)$ or $Y(t)$, or $Z(t)$ or other bio-system components. Constructed bio-system synthetic \vec{R} -vector has no data loss, see (Figure 3).

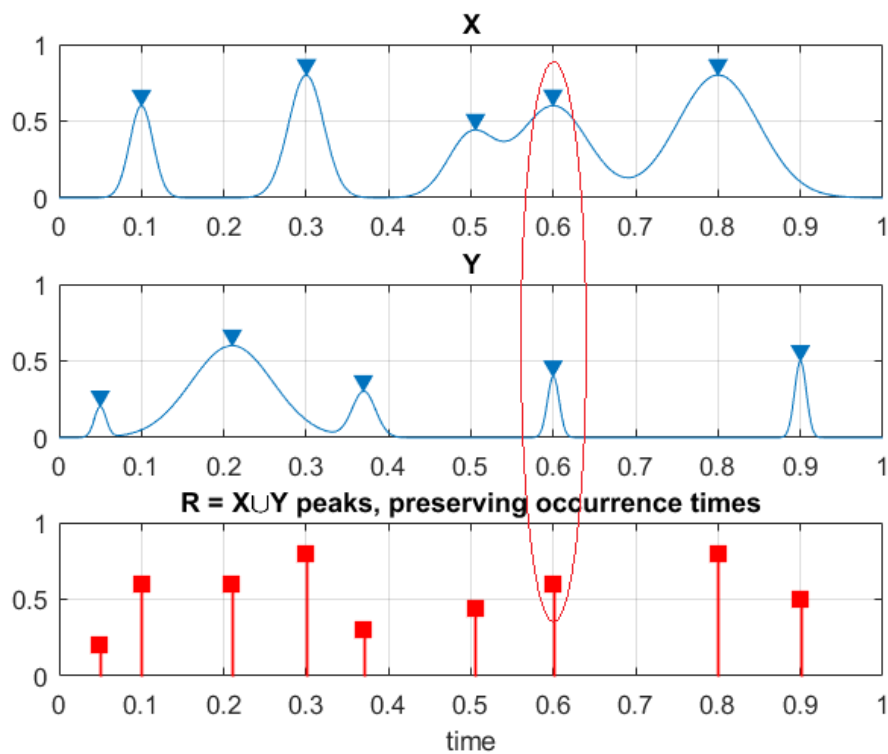
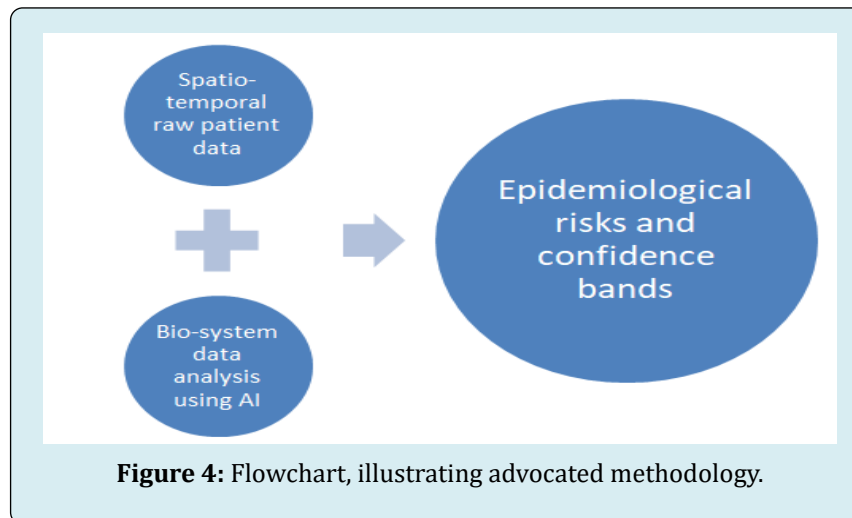


Figure 3: Example of how 2 components, X and Y, being merged to create 1 new synthetic vector \vec{R} . Red ellipse highlights case of simultaneous maxima for different components.

Having introduced temporally non-decreasing synthetic vector \vec{R} , and its components corresponding temporally non-decreasing occurrence times $t_1 \leq \dots \leq t_N$, [60-68].

Figure 4 shows a flowchart that serves as a tool for monitoring the spread of epidemics. It illustrates the recommended approach.



Results

Prediction of influenza-like epidemics has long been the focus of attention in epidemiology and mathematical biology. It is well known that public health dynamics is a highly non-linear multidimensional and spatially cross-correlated dynamic system that is always challenging to analyse. Previous studies have used a variety of approaches to model influenza-like cases. This section illustrates the efficiency of the above-described methodology using the new method applied to the real-life COVID-19 data sets, presented as a new daily recorded infected patient time series, spread over large terrains [45-55].

COVID-19 and influenza are contagious diseases with high transmissibility to spread worldwide with considerable morbidity and mortality. They occur most frequently seasonally in late autumn, winter and early spring, reaching its peak prevalence mostly in winter. Seasonal influenza epidemics caused by influenza A and B viruses typically occur annually during winter in temperate regions and present an enormous burden on worldwide public health, resulting in around 3–5 million cases of severe illness and 250,000–500,000 deaths worldwide each year, according to the World Health Organization (WHO) [34].

This section analyzes a real-life biomedical application of the above-described reliability method. The statistical data in the present section are taken from the official Brazil websites [1,2]. The website provides the number of newly diagnosed cases every day in Brazil from 22 January 2020 to

22 December 2022. Patient numbers from twelve different Brazil regions were chosen as components X, Y, Z, \dots thus constituting an example of a twelve dimensional (12D) dynamic biological system.

In order to unify all 12 measured regional time series X, Y, Z, \dots the following scaling was performed according to Eq. (2), making all 12 regional responses non-dimensional, while having the same hazard/failure limit equal to 1. Failure limits (epidemic thresholds) were chosen differently for different regions in this paper $\eta_X, \eta_Y, \eta_Z, \dots$ were set equal to observed two years maxima, twice increased. Next, all local maxima from 12 measured time series corresponding to Brazil states, were merged into one single time series by keeping them in the non-decreasing temporal order:

$$\vec{R} = \left(\max \{X_1, Y_1, Z_1, \dots\}, \dots, \max \{X_N, Y_N, Z_N, \dots\} \right).$$

Figure 5 presents new daily recorded patients number plotted as two-dimensional (2D) surface. Figure 6 presents raw (unprocessed) numbers of new daily-recorded patients as 12D system vector \vec{R} , consisting of assembled regional new daily-recorded patient numbers. Note that vector \vec{R} does not have physical/biological meaning on its own, as it was assembled of different regional components, with different spatial epidemic backgrounds. Index j is just a running index of biosystem component local maxima, encountered in temporally non-decreasing sequence.

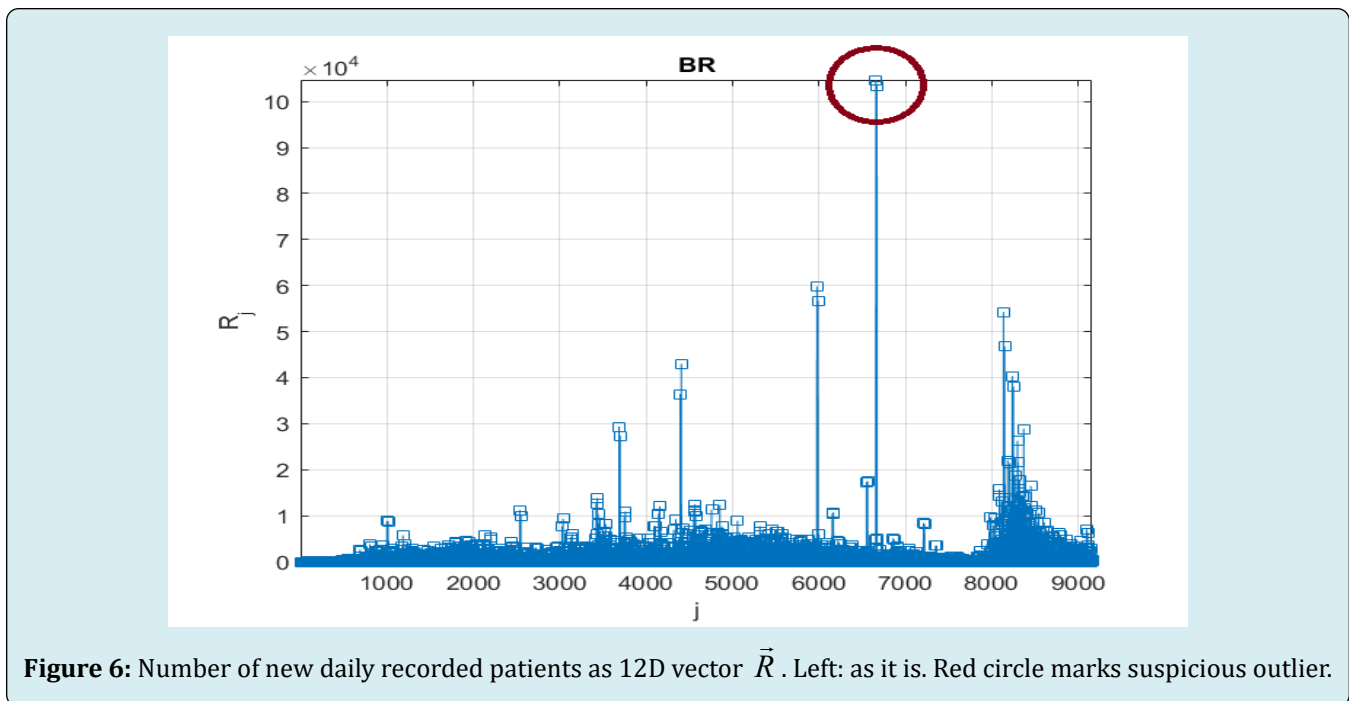
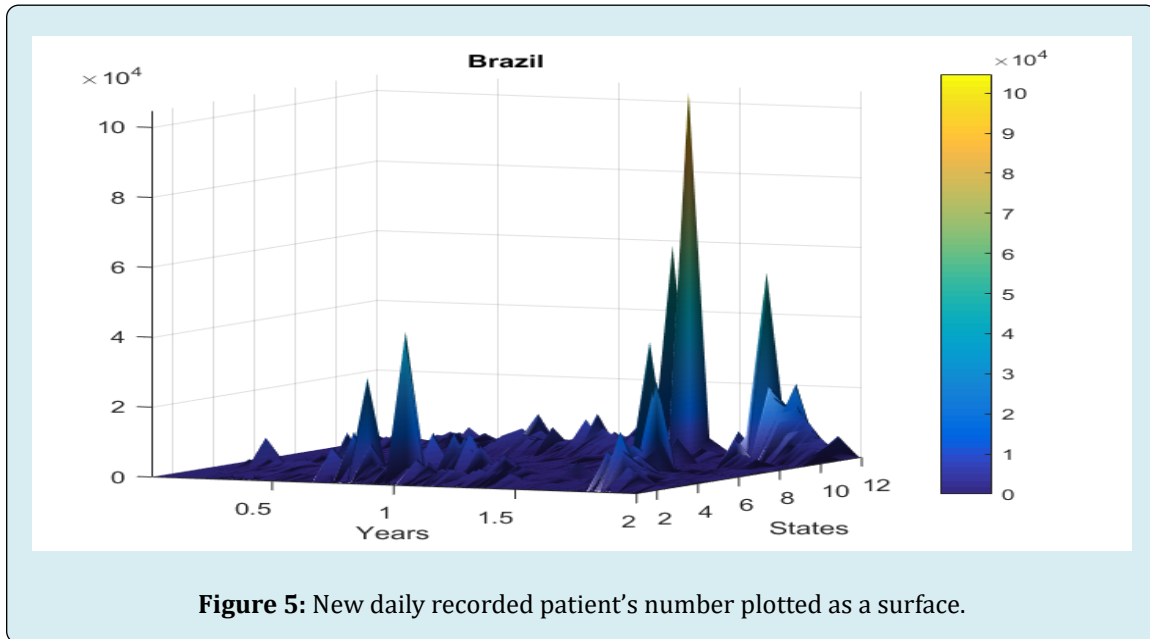


Figure 7 presents 10 years return level extrapolation towards epidemic outbreak with 10-year return period, indicated by the horizontal dotted line, and somewhat beyond, $\lambda=0.05$ cut-on value was used. Dotted lines indicate extrapolated 95% confidence interval according to Eq. (10). Survival probability $P(\lambda)$ being directly related to the target

hazard/failure probability $1-P$ from Eq. (1). Therefore, biosystem failure probability $1-P$ can be straightforwardly estimated. Note that N corresponds to the total number of system component local maxima in the unified response vector \vec{R} . Figure 7 exhibits reasonably narrow 95% CI. The latter is an advantage of the proposed method [44-56].

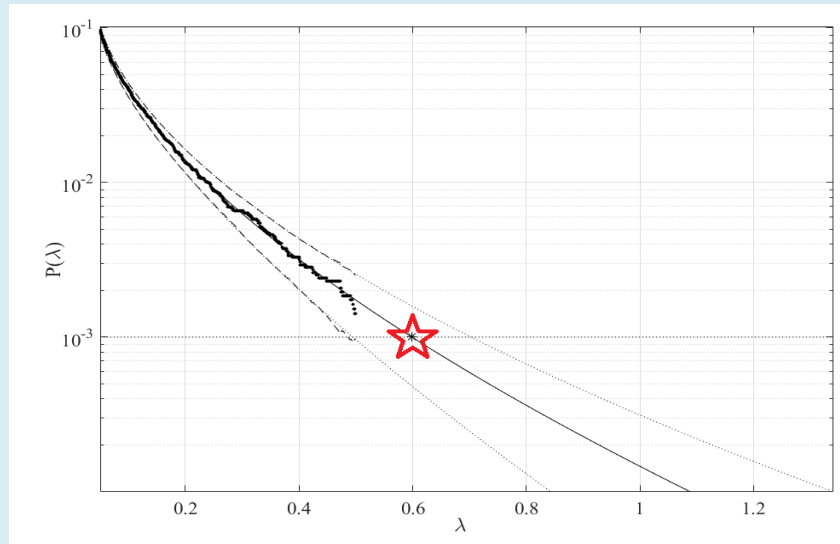


Figure 7: 100 years return level (horizontal dotted line) extrapolation of $P(\lambda)$ towards critical level (indicated by star) and beyond. Extrapolated 95% CI indicated by dotted lines.

Regarding suggested method validation, it is seen from Figure 7 that even ten-times reduced data set will yield similar predictions. More specifically, the underlying data set has been thinned by selecting only each 10th data point, then extrapolation, similar to Figure 7 has been done.

The above-described approach, which is novel, has the benefit of efficiently employing the measured data set that is currently accessible. This is because the technique is able to handle the multidimensionality of biological systems and conduct precise extrapolation based on a small amount of data. Keep in mind that the expected non-dimensional λ level, marked by star in Figure 7 representing target probability (risk) of epidemic outbreak at any Brazil region in the years yet to come. The Poincare plot is where the second-order difference plot (SODP) got its start. Time series data can be

observed statistically using SODP in the case of sequential variations.

Figure 8 presents SODP plots of 3rd and 4th orders, these kinds of plots can be used for data pattern recognition, and comparison with other similar data sets, for example, for the entropy artificial intelligence (AI) recognition approach [57]. COVID-19 epidemic data has been analyzed recently by researchers, using AI diagnostic tools, [58,59]. Be aware that while this research presents MDOF and sub-asymptotic approaches, EVT is asymptotic and 1DOF. In conclusion, the star in the expected non-dimensional level in Figure 7 indicates the likelihood that there will be cancer deaths in the globe in the future. The methodology's flaw is its premise of the quasi-stationarity of the underlying bio-environmental process [65-71].

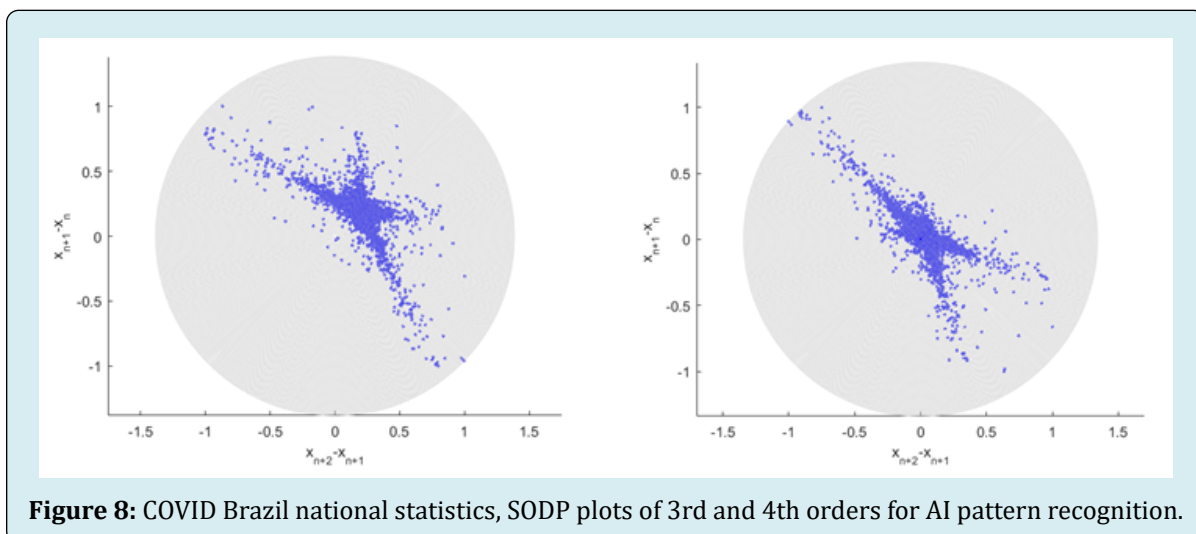


Figure 8: COVID Brazil national statistics, SODP plots of 3rd and 4th orders for AI pattern recognition.

Conclusion

Despite its apparent simplicity, the current research provides a unique multidimensional modelling approach and a methodological route to apply epidemic predictions while it is still in progress. This study examined COVID-19 patient data from twelve distinct regions of Brazil, serving as an illustration of a twelve-dimensional (12D) phenomenon that was seen in 2020–2022. New daily patient counts were subjected to the innovative dependability technique in real-time as a multidimensional system. The detailed academic justification for the suggested approach is provided. It should be noted that while the use of direct measurement or Monte Carlo simulation for analysing the reliability of dynamic biological systems is appealing, the complexity of dynamic systems and their high dimensionality necessitate the development of novel robust and accurate techniques that can handle the current limited dataset, using the data that is accessible as effectively as feasible.

The primary finding is that in Brazil, if the public health system is handled properly, local environmental and epidemiological circumstances will be controlled. The chance level of an epidemic breakout over the projected 10-year return period is considerably higher than one, so it is not low. As a result, there is a chance that a pandemic will break out in the future, at least within the next 10 years.

Numerous writers using various methodologies have demonstrated the use of statistics in medicine using EVT and other models. To determine the distribution of extremes, one of these methods used the block maxima (BM) strategy and another the peak over threshold (POT) approach. Despite the fact that both of these studies demonstrated that they were suitable for predicting the extreme values, each of them had their own drawbacks, with one needing a lot of information.

A general-purpose, reliable, and simple multidimensional reliability technique was the main goal of this research. The approach described in this article has been earlier verified by application to a broad variety of simulation models, but only for one-dimensional system responses, and, generally speaking, very accurate predictions were achieved. Time series reactions can be monitored and numerically reproduced and analyzed. The suggested approach generated a reasonable confidence interval, as is demonstrated. As a result, the proposed methodology may be useful for a range of reliability research on non-linear dynamic biological systems. Finally, there are numerous uses for public health that can use the proposed approach. The application of the novel technique is not at all constrained by the COVID-19 example that is provided.

Declaration

- Ethics approval and consent to participate: n/a.
- Consent for publication: all authors agreed.
- Availability of data and materials: The datasets analyzed during the current study are readily available online, 1-4.
- Competing interests: authors declare no financial and non-financial competing interests.
- Funding: no funding has been received.
- Authors' contributions: all authors contributed equally.
- Acknowledgements: authors confirm that all methods were performed in accordance with the relevant guidelines and regulations according to Declarations of Helsinki.

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